

END OF SEMESTER EXAM

Session of 15 to 18 JUNE 2021

Course Title : DISCRETE MATHEMATICS

Duration : 1:30mins

Level : I

Branch : Software Engineering

ACADEMIC YEAR : 2020/2021

INSRUCTION : ANSWER ALL QUESTIONS FROM BOTH SECTIONS

SECTION A : MULTIPLE CHOICE QUESTIONS

Write down just the letter which corresponds to the correct answer in your answer booklet

- Combinatorics is the branch of discrete mathematics concerned with
 - abstract algebra
 - derivative problems
 - integrated problems
 - counting problems
- A is a statement that is either true or false, but not both.
 - Argument
 - conclusion
 - bi-conditional
 - proposition
- The set $\{x \in \mathbb{R} : a < x < b\}$ is denoted by
 - $[a, b)$
 - $(a, b]$
 - (a, b)
 - $\{a, b\}$
- $P \wedge Q$ is called the of P and Q.
 - conditional
 - conjunction
 - bi-conditional
 - disjunction
- In the implication $P \rightarrow Q$, P is called the
 - Consequent
 - premise
 - conditional
 - statement
- If $A = \{2, 3, 5\}$ and $B = \{4, 6, 9\}$ then if R is defined as $R = \{(a,b) \in B \times A / a \mid b\}$ then the set R =
 - $\{(2,4), (2,6), (3,4), (3,9)\}$

- B) $\{(2,4), (2,6), (3,6), (3,9)\}$
 C) $\{(2,4), (2,9), (3,6), (3,9)\}$
 D) $\{(4,2), (2,6), (3,6), (3,9)\}$
7. . If $R = \{(2,1), (3,1), (5,1), (5,4)\}$ then $R^{-1} =$
 A) $\{(2,1), (3,1), (5,1), (4,5)\}$
 B) $\{(2,1), (3,1), (5,1), (5,4)\}$
 C) $\{(1,2), (1,3), (1,5), (4,5)\}$
 D) $\{(2,1), (3,1), (5,1), (4,5)\}$
8. . A relation R on a set A is said to be symmetric if $(a,b) \in R \Rightarrow$
 A) $(b,a) \in R$
 B) $(b^2, a^2) \in R$
 C) $(x,y) \in R$
 D) $(y,x) \in R$
9. Consider the set of all straight lines in a plane. If the relation R is defined as "parallel to" then R is
 A) reflexive
 B) symmetric
 C) transitive
 D) A), B) and C)
10. The proposition $\sim p \vee (p \vee q)$ is a
 A) Tautology
 B) Contradiction
 C) Logical equivalence
 D) None of the above

SECTION II: Show all the steps in calculations for questions in this section

1. . Using the truth table, show that the proposition $p \vee \neg(p \wedge q)$ is a tautology. {2mk}
2. construct the truth table for the following compound proposition
 $P \rightarrow \neg q \wedge \neg P \leftrightarrow \neg q$
 {1mk 1}
3. Give an indirect proof of the theorem "If $3n+2$ is odd, then n is odd" {1mk}
4. Prove by induction that $n[P(A)] = 2^n$ {2mks}
-
5. Given P, Q and R 3 propositions.
 a) Show with the help of truth tables that $\neg(P \wedge Q)$ is equivalent to $(\neg P \vee \neg Q)$
 b) Show that $\neg(P \vee Q)$ is equivalent to $(\neg P \wedge \neg Q)$
 c) Show that $(P \Rightarrow Q)$ is equivalent to $(\neg P \Rightarrow \neg Q)$
 d) Show that $(P \Rightarrow Q) \wedge (Q \Rightarrow R) \Rightarrow (P \Rightarrow R)$ is a tautology.
 {4mks}
-

The end!!!!!!

Course Master: Mr Ekiti
